

Possiamo prevedere il comportamento delle muffe?

Cenni riguardo ai modelli previsionali per lo sviluppo dei funghi e la produzione di micotossine

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General Introduction: Epidemiology





General Introduction: Model

"A model is a simplified representation of reality."

In fungal epidemiology, possible objectives are:

- Predicting the time and the scale of an event
- Predicting the probability of an event
- Comparing the performance of different management strategies



General Introduction: Model

Modelling approaches

Empirical

Mechanistic







Empirical model

A posteriori analysis of the variations of epidemics according to changes on the affecting factors.

Analysis of the quantitative relation which links *epidemics* with *influencing variables*

According to statistical analyses

Empiric rule <u>Regression analysis</u> Non parametric analysis Stochastic model Neural network



Mechanistic model

A priori analysis of the variations of epidemics according to changes in the affecting factors.



Analysis of each steps of pathogen infection cycles, influencing variables and change



General Introduction: model development





Possiamo prevedere il comportamento delle muffe?

Sviluppo di modelli previsionali, base di dati, elaborazioni matematiche e validazioni dei risultati.

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Empirical model

A posteriori analysis of the variations of epidemics according to changes in the factors affecting it

Analysis of the quantitative relation which links *epidemics* with *influencing variables*

According to statistical analyses

Empiric rule <u>Regression analysis</u> Non parametric analysis Stochastic model Neural network



Steps to built empirical models based on regression analysis

- Collection of experimental data about disease and biological/meteorological influencing factors
- 2. Creation of a correlation matrix between variables
- Elaboration of statistical regression model with the most effective variables
- 4. Model outputs evaluation



Regression models

$Y = a + bX1 + cX2 + \dots + nXn$

where: Y = level disease X1 ... Xn = independent variables

Air temperature Relative humidity Rain Leaf wetness

Condition of pathogen

Phenological host stage Host susceptibility



Empirical model

Principle drawback:

Based on a numerical relation between collected data in specific experimental condition without any *a priori* defined relation cause-effect between variables

Therefore:

Problems with data out of the experimental range





Mechanistic model

A priori analysis of the variations of epidemics according to changes in the factors affecting it



Analysis of each steps of pathogen infection cycles, influencing variables and change



Steps to built a mechanistic model

- Definition of influencing variables on the patho system, and relations between (logical model)
- Experimental design to determine quantitative relation between variables /data collection in literature
- 3. Development of mathematical equation to describe these relations (operative models)



Steps to built a mechanistic model –SYSTEMS ANALYSIS

<u>System</u> = limited part of reality which contain element in relation between them (de Wit, 1993)

<u>System's sctructure</u> = all the relation in the system analysed



Patho system



Mechanistic model RELATIONAL DIAGRAM







State variable

Direction flow; links two state variables



Information flow

- -O- Constant or parameter (*driving variable*)
 -) Intermediate variable



Not quantifiable variable



Suitable library of equation for fitting







Suitable library of equation for fitting

Exponential $Y = b \cdot exp(aX)$

Logistic Y = $c/[1 + a \cdot exp(-bX)]$

Monomolecolar

 $Y = 1 - b \cdot exp(-aX)$

Logarithmic $Y = In(aX^b)$

Power Y = aX^b Gompertz Y = exp[-b•exp(-aX)]

Asintotic Y = $a - b \cdot c^X$ Richards Y = $[1 - b \cdot exp(-aX)]^{1/(1-c)}$

 $\begin{array}{l} \mathsf{BETE} \\ \mathsf{Y} = [\mathbf{a} \cdot \mathsf{X}^{\mathsf{b}} \cdot (1 - \mathsf{X})]^{\mathsf{c}} \end{array}$

Weibull Y = $1 - \exp\{-[(X-a)/b]^c\}$ Y = dependent variable X = independent variable a, b, c = parameters



Mechanistic model CASE STUDY

OTA-Grapes: a prototype model to predict ochratoxin A risk in grapes





Introduction





Germination rate

Experimental conditions: Temperature 15 - 40°C, Relative humidity 85 - 100%, Incubation time 3 - 36hrs









Spore suspension of *A. carbonarius* (10⁶ / ml) inoculated onto skin and flesh of berries of white organic grapes and artificial grape juice medium (SGM)

50 single spores were examined (x 3 replicates), temporal observations every 3 hours **Germination rate:** nonlinear regression models were fitted to the observed data using the statistical package PASW statistics 21



Germination rate: results

SGM

SKIN



FLESH

The dynamics of spore germination in different T regimes (GeRT) was fitted using a Bete equation (Teq is the equivalent of temperature)

$$GeR_T = (a * (Teq)^b * (1 - Teq))^c$$

 $Teq = \left(\frac{T-Tmin}{Tmax-Tmin}\right)$ (T is the daily mean temperature, Tmin = 5°C and Tmax = 45°C)



Germination rate: results



The dynamics of spore germination in different RH regimes (GeRRH) was fitted using a polynomial equation detailed below:

 $GeR_{RH} = a * RH^2 + b * RH + c$ Where RH is the daily mean value.



Germination rate: results

SKIN

NIV/FRSITA



Temperature (°C)

Germination rate: result

36 18 SGM 9 0 36 Time of incubation (hours) Flesh 18 9 0 36 18 Skin 80-100 60-80 9 40-60 20-40 □ 0-20 0 15 20 25 30 35 40 15 20 25 30 35 40 15 20 25 30 35 40 15 20 25 30 35 40

RH (%)

95

100

90

85

100% germination can occur much more rapidly on grape flesh (6 hrs) followed by SGM medium (9 hrs) and then grape skin (24 hrs) under optimal condition of **30-35°C** and **100% RH**



Examples of model output: FHB-model







Examples of model output: AFLA model





Empirical model for DON in wheat



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Models input – output variables



B0_Tavg B0_Th25 B0_Rain B1_Th25 B1_Th25 B1_RHh80 B2_Tavg B2_Th25 LenFH Flowering day



FHB IndexDON Index

• DON Index



Last step: Model Validation





Last step: Model Validation

Comparing model output and real observations in different epidemiological conditions (year, location, ...)

Italian data



PREDICTED



	0	1
0	89	5
1	5	1





Thank you for your attention!